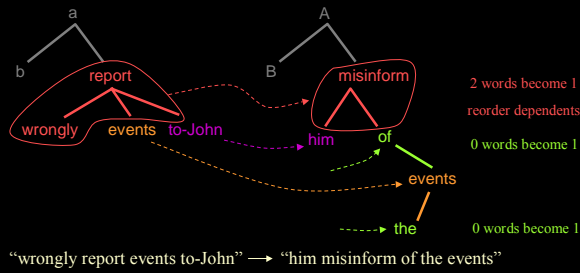


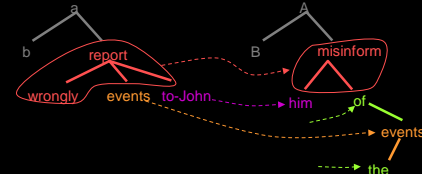
## Learning Non-Isomorphic Tree Mappings for Machine Translation

Jason Eisner - Johns Hopkins Univ.



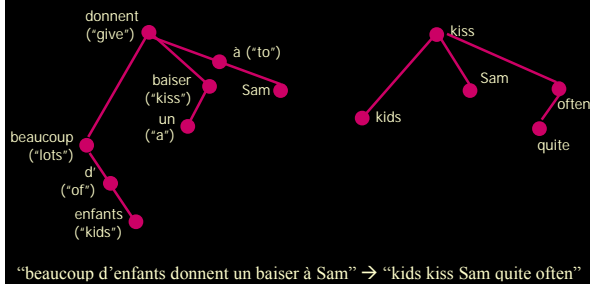
## Syntax-Based Machine Translation

- Previous work assumes essentially isomorphic trees
  - Wu 1995, Alshawi et al. 2000, Yamada & Knight 2000
- But trees are *not* isomorphic!
  - Discrepancies between the languages
  - Free translation in the training data



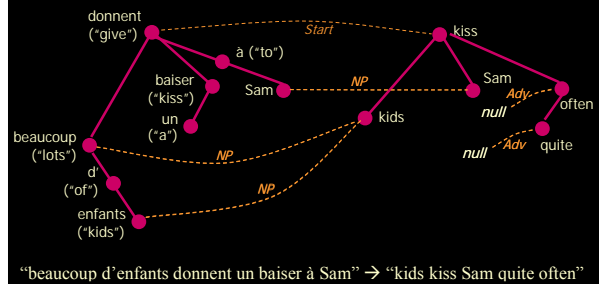
## Synchronous Tree Substitution Grammar

Two training trees, showing a **free translation** from French to English.



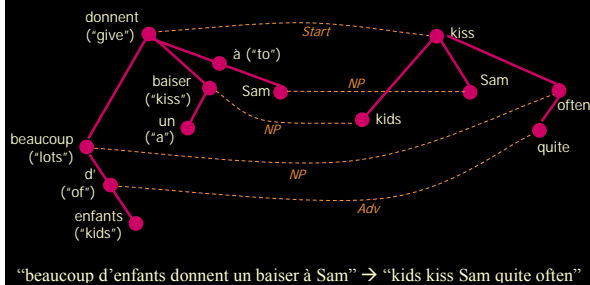
## Synchronous Tree Substitution Grammar

Two training trees, showing a **free translation** from French to English. A possible alignment is shown in orange.



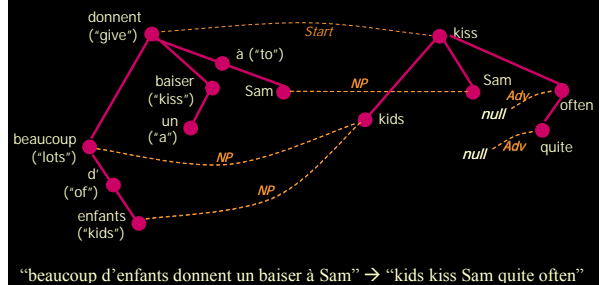
## Synchronous Tree Substitution Grammar

Two training trees, showing a **free translation** from French to English. A possible alignment is shown in orange. A much worse alignment ...



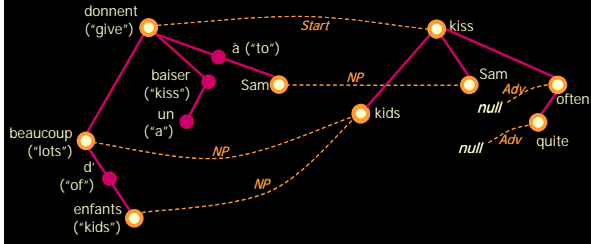
## Synchronous Tree Substitution Grammar

Two training trees, showing a **free translation** from French to English. A possible alignment is shown in orange.



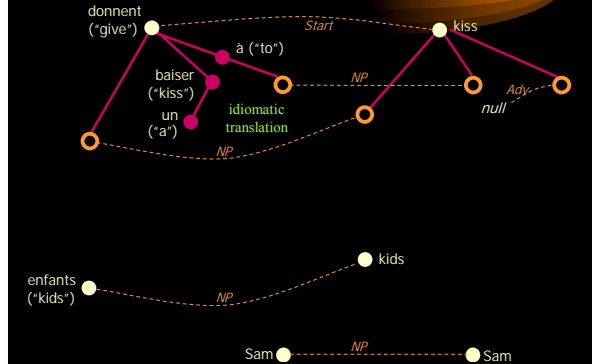
## Synchronous Tree Substitution Grammar

Two training trees, showing a **free translation** from French to English.  
 A possible alignment is shown in orange.  
 Alignment shows how trees are generated **synchronously** from "little trees" ...

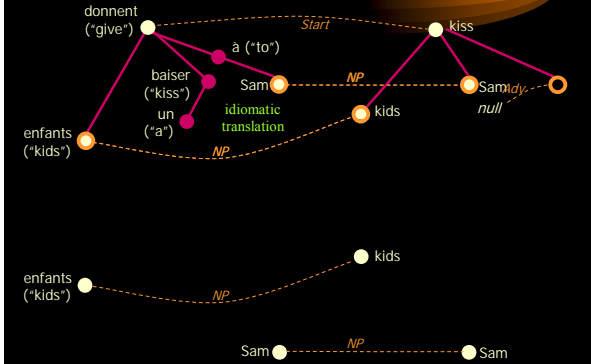


"beaucoup d'enfants donnent un baiser à Sam" → "kids kiss Sam quite often"

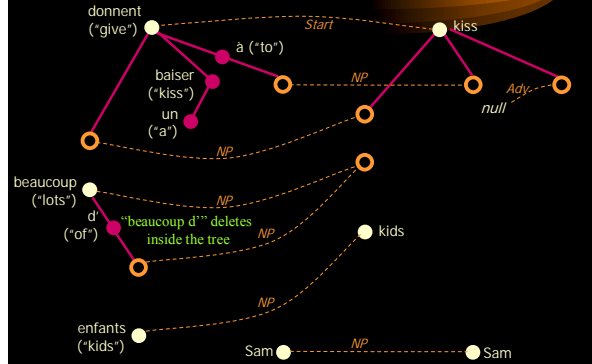
## Grammar = Set of Elementary Trees



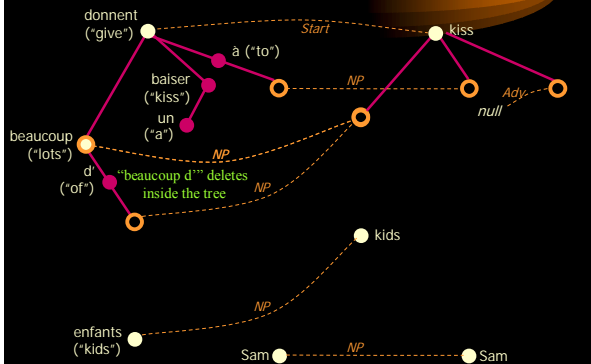
## Grammar = Set of Elementary Trees



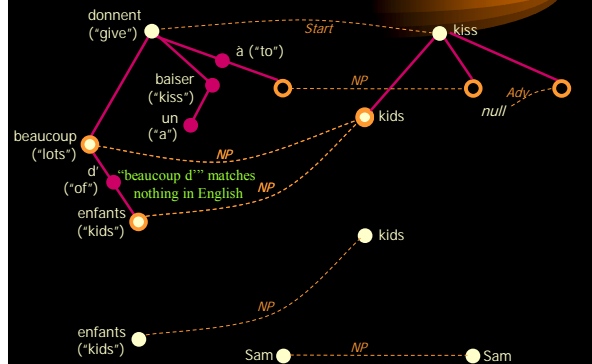
## Grammar = Set of Elementary Trees



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## Grammar = Set of Elementary Trees





$$P(T1, T2, A) = \prod p(t1, t2, a | n)$$

- Alignment: find A to max  $P_{\theta}(T1, T2, A)$
  - Decoding: find T2, A to max  $P_{\theta}(T1, T2, A)$
  - Training: find  $\theta$  to max  $\sum_A P_{\theta}(T1, T2, A)$
- ↓
- **Do everything on little trees instead!**
  - Only need to train & decode a model of  $p_{\theta}(t1, t2, a)$
  - But not sure how to break up big tree correctly
    - So try all possible little trees & all ways of combining them, by dynamic prog.

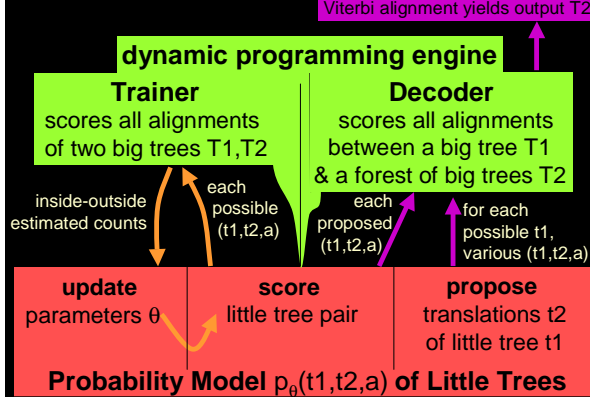
## Alignment Pseudocode

```

for each node c1 of T1 (bottom-up)
  for each possible little tree t1 rooted at c1
    for each node c2 of T2 (bottom-up)
      for each possible little tree t2 rooted at c2
        for each matching a between frontier nodes of t1 and t2
          p = p(t1, t2, a)
          for each pair (d1, d2) of frontier nodes matched by a
            p = p * beta(d1, d2) // inside probability of kids
          beta(c1, c2) = beta(c1, c2) + p // our inside probability
  
```

Nonterminal states are used in practice but not shown here  
For EM training, also find outside probabilities

## An MT Architecture



## Related Work

- **Synchronous grammars** (Shieber & Schabes 1990)
  - Statistical work has allowed only 1:1 (isomorphic trees)
    - Stochastic inversion transduction grammars (Wu 1995)
    - Head transducer grammars (Alshawi et al. 2000)
- **Statistical tree translation**
  - Noisy channel model (Yamada & Knight 2000)
    - Infers tree: trains on (string, tree) pair, not (tree, tree) pair
    - But again, allows only 1:1, plus 1:0 at leaves
- **Data-oriented translation** (Poutsma 2000)
  - Synchronous DOP model trained on already aligned trees
- **Statistical tree generation**
  - Similar to our decoding: construct forest of appropriate trees, pick by highest prob
  - Dynamic prog. search in packed forest (Langkilde 2000)
  - Stack decoder (Ratnaparkhi 2000)

## What Is New Here?

- **Learning full elementary tree pairs, not rule pairs or subcat pairs**
  - Previous statistical formalisms have basically assumed isomorphic trees
- **Maximum-entropy modeling of elementary tree pairs**
- **New, flexible formalization of synchronous Tree Subst. Grammar**
  - Allows either dependency trees or phrase-structure trees
  - “Empty” trees permit insertion and deletion during translation
  - Concrete enough for implementation (cf. informal previous descriptions)
  - TSG is more powerful than CFG for modeling trees, but faster than TAG
- **Observation that dynamic programming is surprisingly fast**
  - Find all possible decompositions into aligned elementary tree pairs
  - $O(n^2)$  if both input trees are fully known and elem. tree size is bounded

## Status & Thanks

- Developed and implemented during JHU CLSP summer workshop 2002 (funded by NSF)
- Other team members: Jan Hajič, Bonnie Dorr, Dan Gildea, Gerald Penn, Drago Radev, Owen Rambow, and students: Martin Cmejrek, Yuan Ding, Terry Koo, Kristen Parton
- Also being used for other kinds of tree mappings:
  - between deep structure and surface structure, or semantics and syntax
  - between original text and summarized/paraphrased/plagiarized version
- Results forthcoming (that’s why I didn’t submit a full paper ☺)

## Summary

- Most MT systems work on strings
- We want to translate trees – want to respect syntactic structure
- But don't assume that translated trees are structurally isomorphic!
  
- → **TSG formalism**: Translation locally replaces tree structure and content.
- → **Parameters**: Probabilities of local substitutions (use maxent model)
- → **Algorithms**: Dynamic programming (local substitutions can't overlap)
  
- EM training on <English tree, Czech tree> pairs can be fast:
  - Align  $O(n)$  tree nodes with  $O(n)$  tree nodes, respecting subconstituency
  - Dynamic programming – find all alignments and retrain using EM
  - Faster than aligning  $O(n)$  words with  $O(n)$  words
  - If correct training tree is unknown, a well-pruned parse forest still has  $O(n)$  nodes