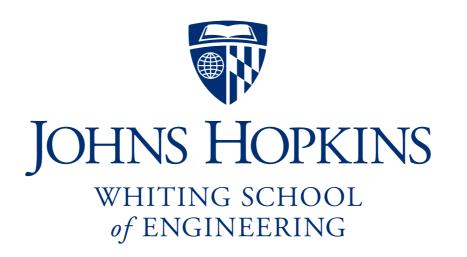
Overlap Layout Consensus assembly

Ben Langmead

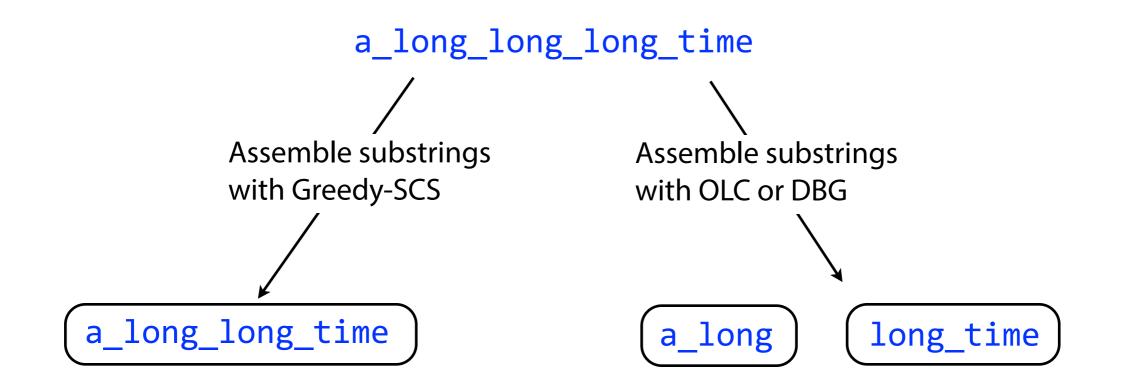


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Real-world assembly methods

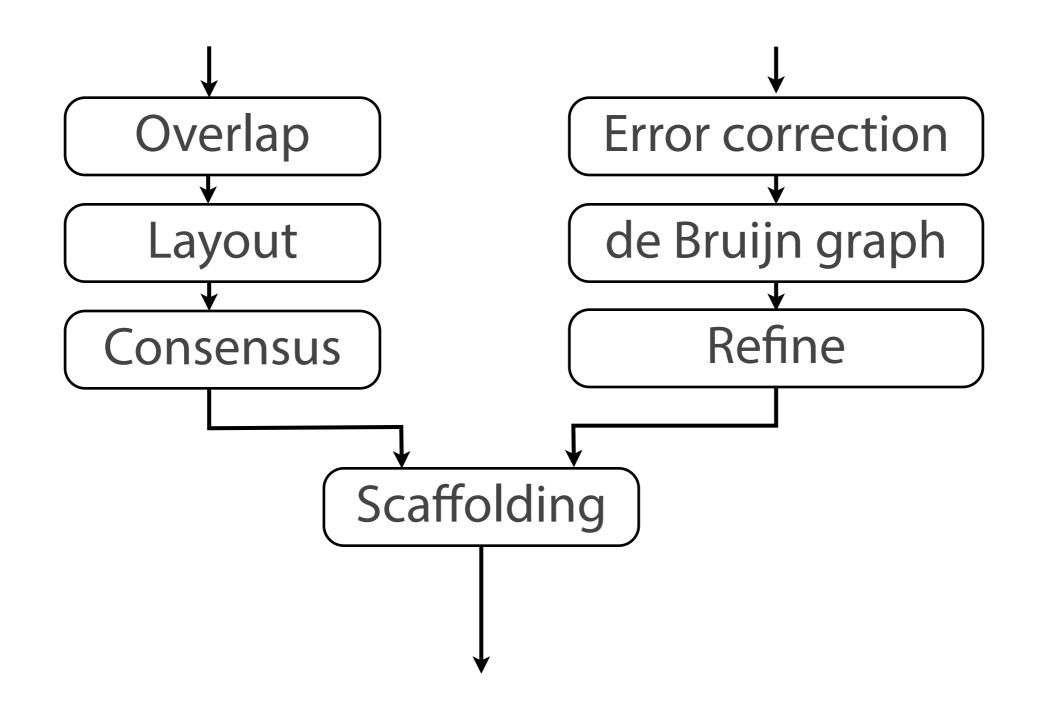
OLC: Overlap-Layout-Consensus assembly **DBG**: De Bruijn graph assembly

Both handle unresolvable repeats by essentially *leaving them out* Unresolvable repeats break the assembly into fragments Fragments are *contigs* (short for *contiguous*)

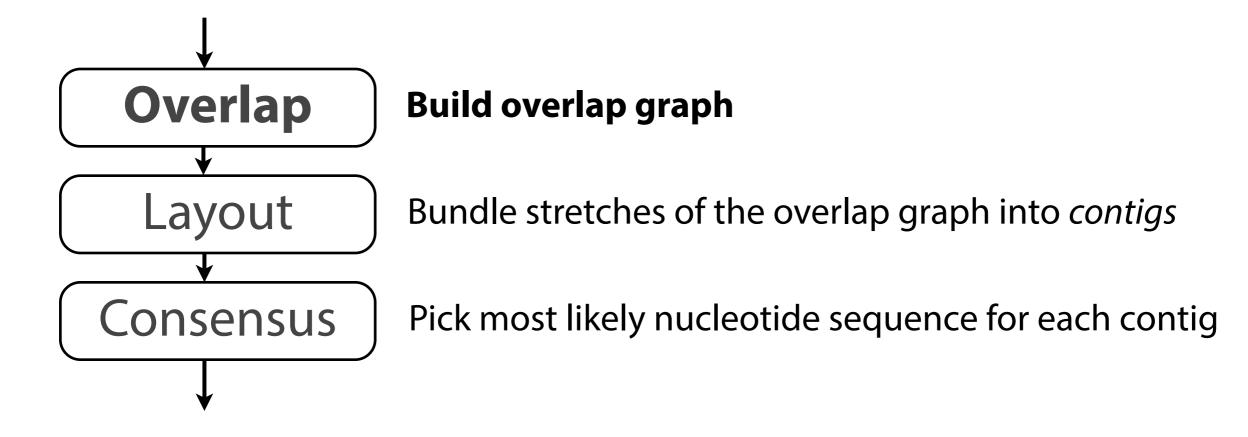


Assembly alternatives

Alternative 1: Overlap-Layout-Consensus (OLC) assembly Alternative 2: de Bruijn graph (DBG) assembly



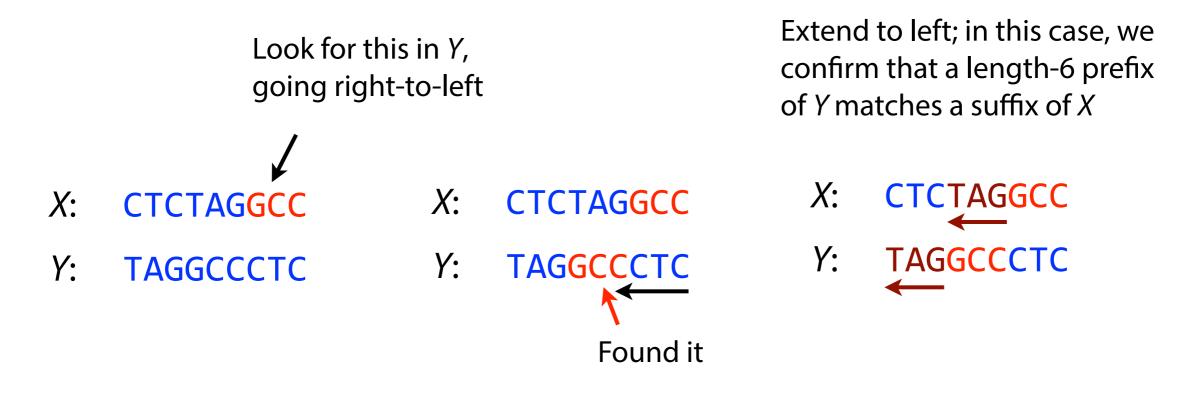
Overlap Layout Consensus



Finding overlaps

Can we be less naive than this?

Say l = 3



We're doing this for *every pair* of input strings

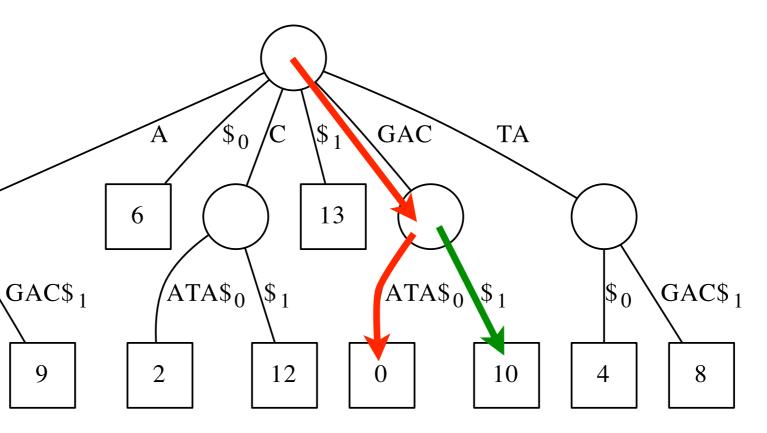
Finding overlaps

Can we use suffix trees for overlapping?

Problem: Given a collection of strings *S*, for each string *x* in *S* find all overlaps involving a prefix of *x* and a suffix of another string *y*

Hint: Build a generalized suffix tree of the strings in S

Generalized suffix tree for { "GACATA", "ATAGAC" } GACATA\$₀ATAGAC\$₁



Say query = GACATA. From root, follow path labeled with query.

Green edge implies length-3 suffix of second string equals length-3 prefix of query

ATAGAC ^S ||| GACATA

GAC\$₁

7

TA

\$₀

3

\$₀

 $ATA\$_0 |\$_1$

11

5

1

5

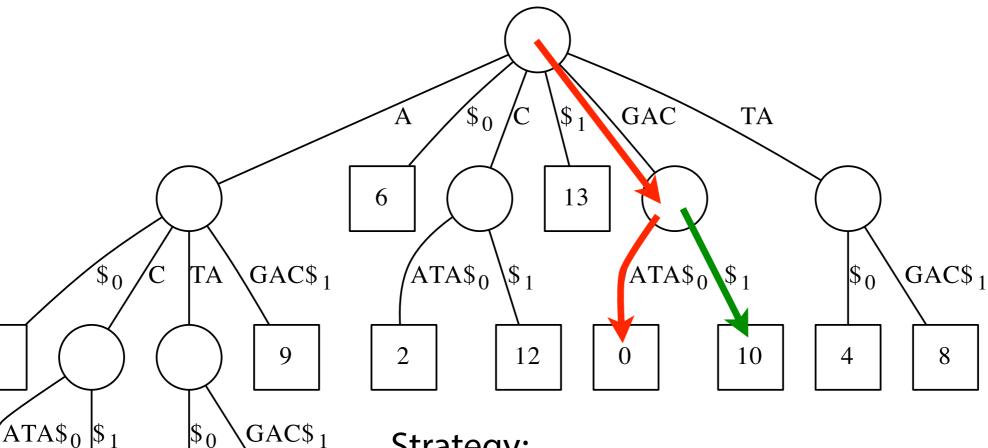
1

11

3

7

Generalized suffix tree for { "GACATA", "ATAGAC" } GACATA\$₀ATAGAC\$₁

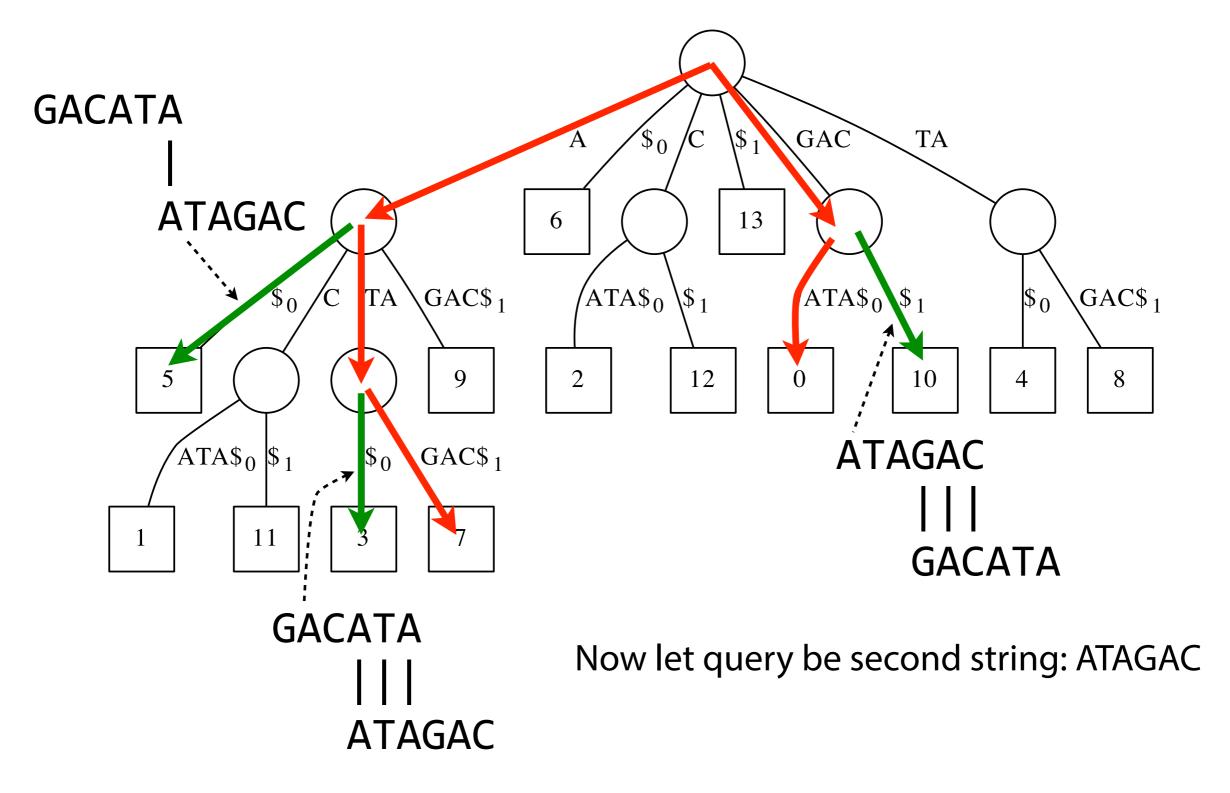


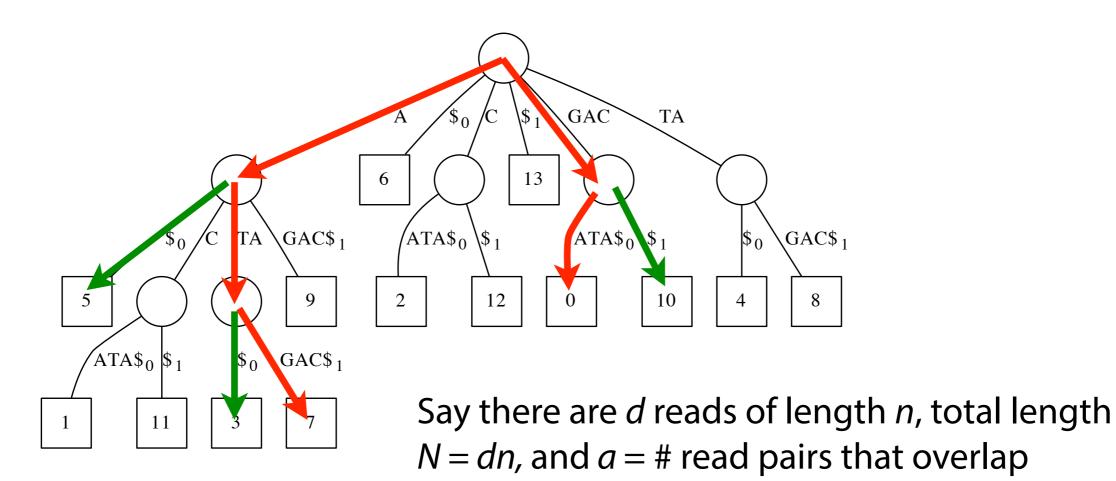
Strategy:

(1) Build tree

(2) For each string: Walk down from root and report any outgoing edge labeled with a separator. Each corresponds to a prefix/suffix match involving prefix of query string and suffix of string ending in the separator.

Generalized suffix tree for { "GACATA", "ATAGAC" } GACATA\$₀ATAGAC\$₁





Assume for given string pair we report only the longest suffix/prefix match

Time to build generalized suffix tree:O(N) d^2 doesn't appear explicitly,... to walk down red paths:O(N)but a is $O(d^2)$ in worst case... to find & report overlaps (green):O(a)O(N + a)

Finding overlaps

What if we want to allow mismatches and gaps in the overlap?

I.e. How do we find the best *alignment* of a suffix of *X* to a prefix of *Y*?

Dynamic programming

But we must frame the problem such that only backtraces involving a suffix of *X* and a prefix of *Y* are allowed

Find the best alignment of a suffix of *X* to a prefix of *Y*

 X: CTCGGCCCTAGG

 |||

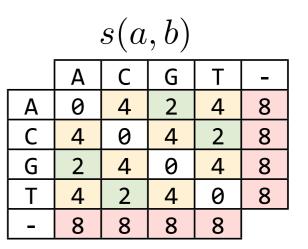
 |||

 Y:

 GGCTCTAGGCCC

We'll use global alignment recurrence and score function

$$D[i, j] = \min \begin{cases} D[i-1, j] + s(x[i-1], -) \\ D[i, j-1] + s(-, y[j-1]) \\ D[i-1, j-1] + s(x[i-1], y[j-1]) \end{cases}$$



But how do we force it to find prefix / suffix matches?

X

Find the best alignment of a suffix of *X* to a prefix of *Y*

$$D[i,j] = \min \begin{cases} D[i-1,j] + s(x[i-1],-) \\ D[i,j-1] + s(-,y[j-1]) \\ D[i-1,j-1] + s(x[i-1],y[j-1]) \end{cases}$$

How to initialize first row & column so suffix of *X* aligns to prefix of *Y*?

First column gets 0s (any suffix of *X* is possible)

First row gets ∞ s (must be a prefix of *Y*)

Backtrace from last row

-
 G
 G
 C
 T
 C
 T
 A
 G
 G
 C
 C
 C

 0

$$\infty$$
 ∞
 ∞

s(a,b)

0 4

0

4

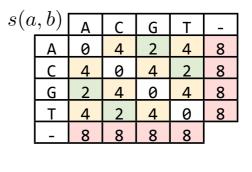
Y

0

X

Find the best alignment of a suffix of *X* to a prefix of *Y*

$$D[i,j] = \min \begin{cases} D[i-1,j] + s(x[i-1],-) \\ D[i,j-1] + s(-,y[j-1]) \\ D[i-1,j-1] + s(x[i-1],y[j-1]) \end{cases}$$



Problem: very short matches got high scores by chance...

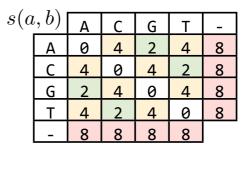
...which might obscure the more relevant match

Say we want to enforce minimum overlap length l = 5

G Α G G G ∞ ∞ ∞ $\infty \mid \infty \mid \infty \mid$ ∞ $|\infty|$ ∞ ∞ ∞ ∞ 0 12 20 28 36 44 52 60 68 76 84 92 0 4 14 20 28 36 44 52 60 68 76 84 0 4 8 8 16 20 28 36 44 52 60 68 0 4 8 С 76 12 12 20 24 30 36 44 52 60 68 0 0 G 4 16 16 24 26 30 36 44 52 0 G 0 0 8 60 0 16 18 26 30 34 36 44 4 8 С 0 4 52 16 22 30 34 34 36 0 4 8 4 2 8 С 44 6 10 18 26 34 34 34 4 8 8 2 36 0 4 8 8 2 10 18 26 34 36 36 0 8 10 2 2 12 14 12 10 10 18 26 34 6 40 0 Α 10 16 18 16 10 0 10 18 26 34 0 0 2 G 0 20 22 18 10 2 0 6 14 10 18 G 0

Find the best alignment of a suffix of X to a prefix of Y

$$D[i,j] = \min \begin{cases} D[i-1,j] + s(x[i-1],-) \\ D[i,j-1] + s(-,y[j-1]) \\ D[i-1,j-1] + s(x[i-1],y[j-1]) \end{cases}$$



Solve by initializing certain additional cells to ∞

Cells whose values changed highlighted in red

Now the relevant match is the best candidate

Х

-C

0	8	8	8	8	8	8	8	8	8	8	8	8
0	4	12	20	28	36	44	52	60	68	76	84	92
0	4	8	14	20	28	36	44	52	60	68	76	84
0	Л	0	0	16	20	20	26	ЛЛ	52	60	60	76

- G G C T C T A G G C C C

Т	0	4	8	14	20	28	36	44	52	60	68	76	84
C	0	4	8	8	16	20	28	36	44	52	60	68	76
G	0	0	4	12	12	20	24	30	36	44	52	60	68
G	0	0	0	8	16	16	24	26	30	36	44	52	60
С	0	4	4	0	8	16	18	26	30	34	36	44	52
С	0	4	8	4	2	8	16	22	30	34	34	36	44
С	0	4	8	8	6	2	10	18	26	34	34	34	36
Т	8	4	8	10	8	8	2	10	18	26	34	36	36
Α	8	12	6	12	14	12	10	2	10	18	26	34	40
G	8	20	12	10	16	18	16	10	0	10	18	26	34
G	8	8	8	8	8	20	22	18	10	2	10	18	26

Say there are d reads of length n, total length N = dn, and a is total number of pairs with an overlap

Number of overlaps to try: $O(d^2)$ Size of each dynamic programming matrix: $O(n^2)$ Overall: $O(d^2n^2) = O(N^2)$

Contrast O(N²) with suffix tree: O(N + a), but where a is worst-case O(d²)

But dynamic programming is more flexible, allowing mismatches and gaps

Real-world overlappers mix the two, using indexes to filter out vast majority of non-overlapping pairs, then using dynamic programming for remaining pairs

Finding overlaps

Overlapping is typically the slowest part of assembly

Consider a second-generation sequencing dataset with hundreds of millions or billions of reads!

Approaches from alignment unit can be adapted to finding overlaps

We saw adaptations of naive exact matching, suffix-treeassisted exact matching, and dynamic programming

Could also have adapted efficient exact matching, approximate string matching, co-traversal, ...

Finding overlaps

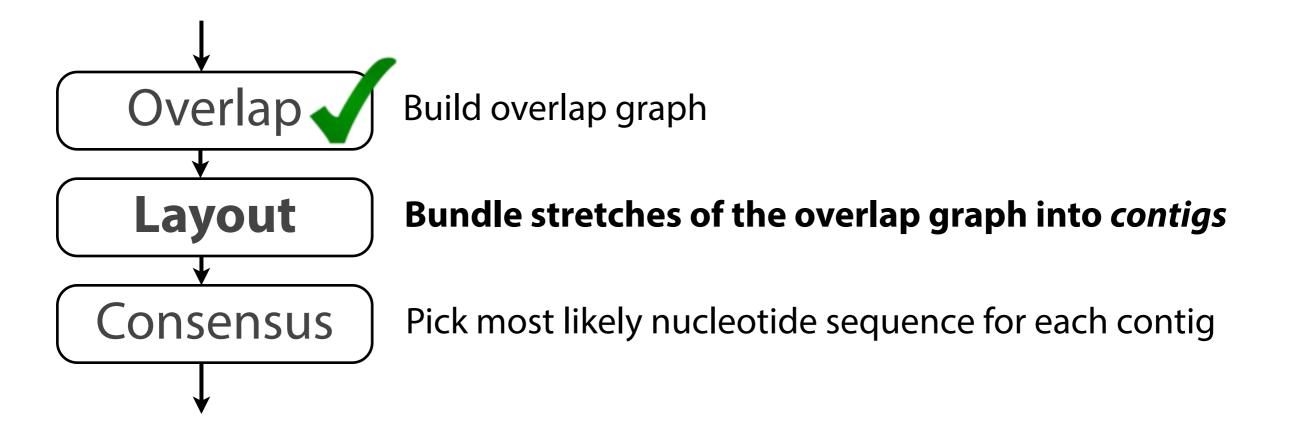
Celera Assembler's overlapper is probably the best documented:

Inverted substring indexes built on batches of reads

Only look for overlaps between reads that share one or more substrings of some length

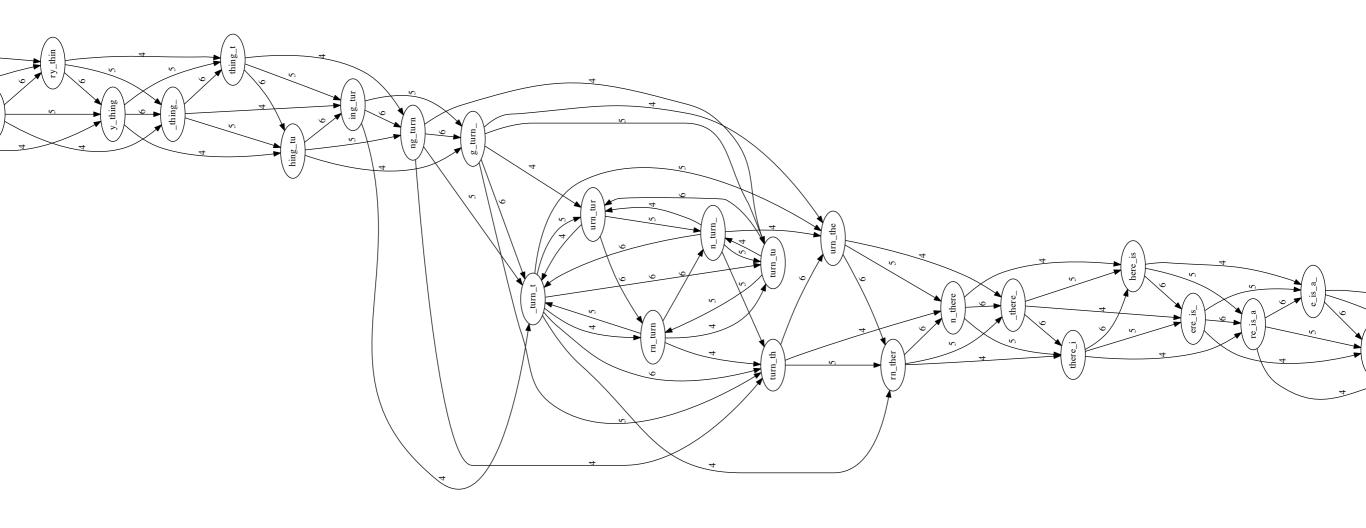
http://wgs-assembler.sourceforge.net/wiki/index.php/RunCA#Overlapper

Overlap Layout Consensus



Overlap graph is big and messy. Contigs don't "pop out" at us.

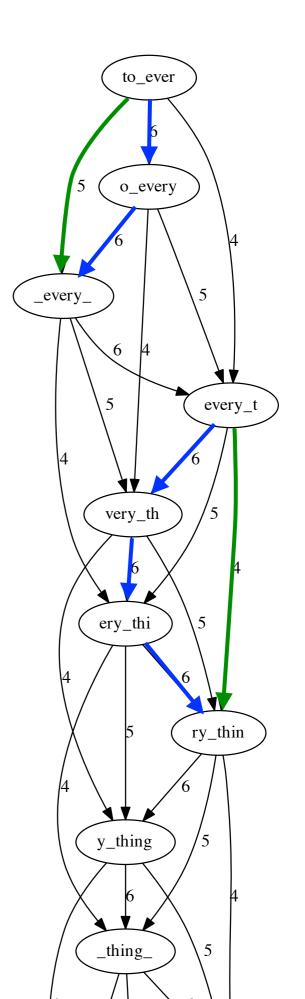
Below: part of the overlap graph for to_every_thing_turn_turn_there_is_a_season l = 4, k = 7



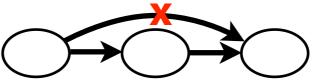
Anything redundant about this part of the overlap graph?

Some edges can be *inferred* (*transitively*) from other edges

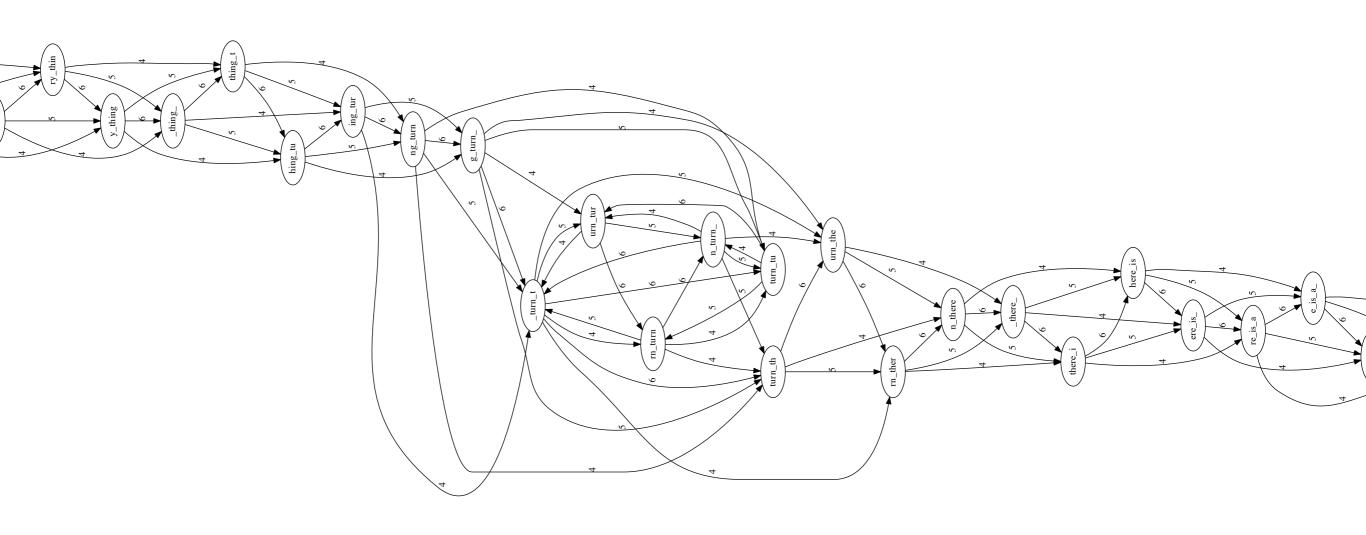
E.g. green edge can be inferred from blue



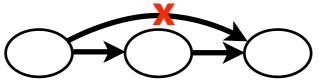
Remove transitively-inferrible edges, starting with edges that skip one node:



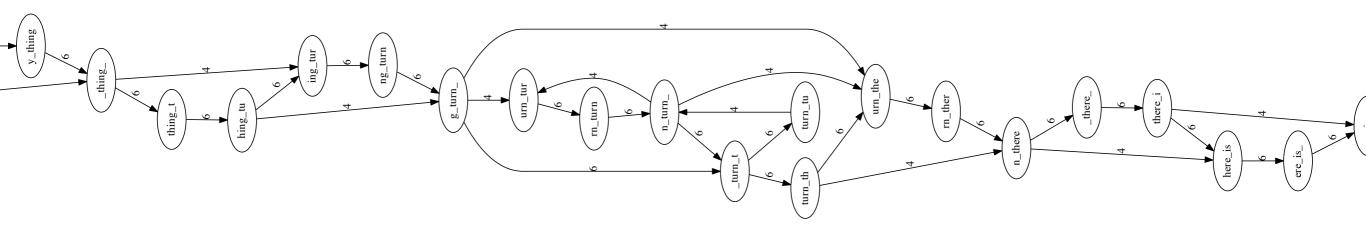
Before:



Remove transitively-inferrible edges, starting with edges that skip one node:



After:



Remove transitively-inferrible edges, starting with edges that skip one *or two* nodes:



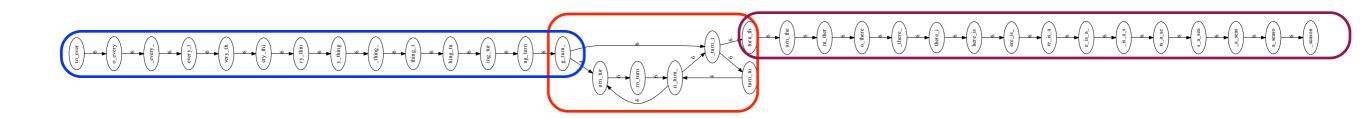
After:

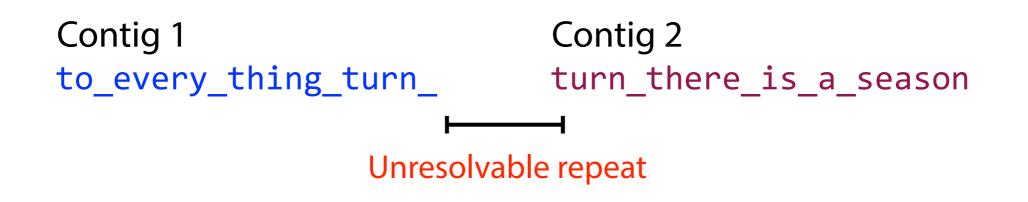
turn_th urn_the here_is rn_ther 9 ng_turn hing_tu ing_tur ry_thin thing_t _thing g_turn_ _thing_ urn_tur turn_tu rn_turn n_turn_

Even simpler

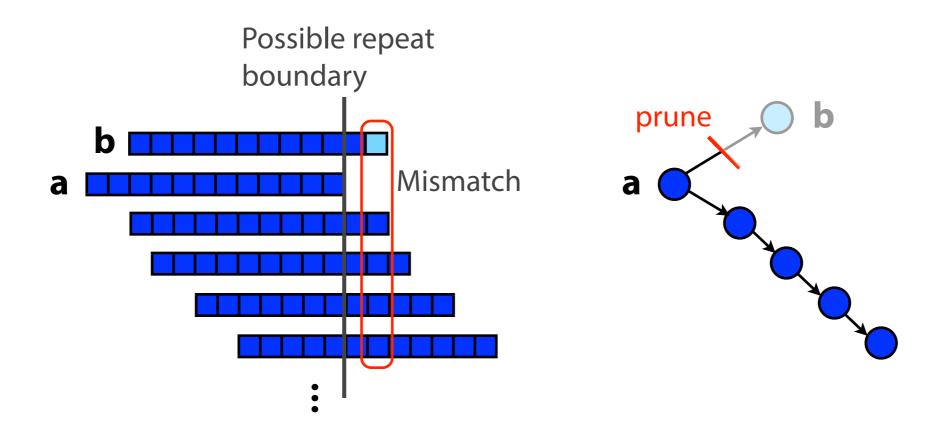


Emit *contigs* corresponding to the non-branching stretches



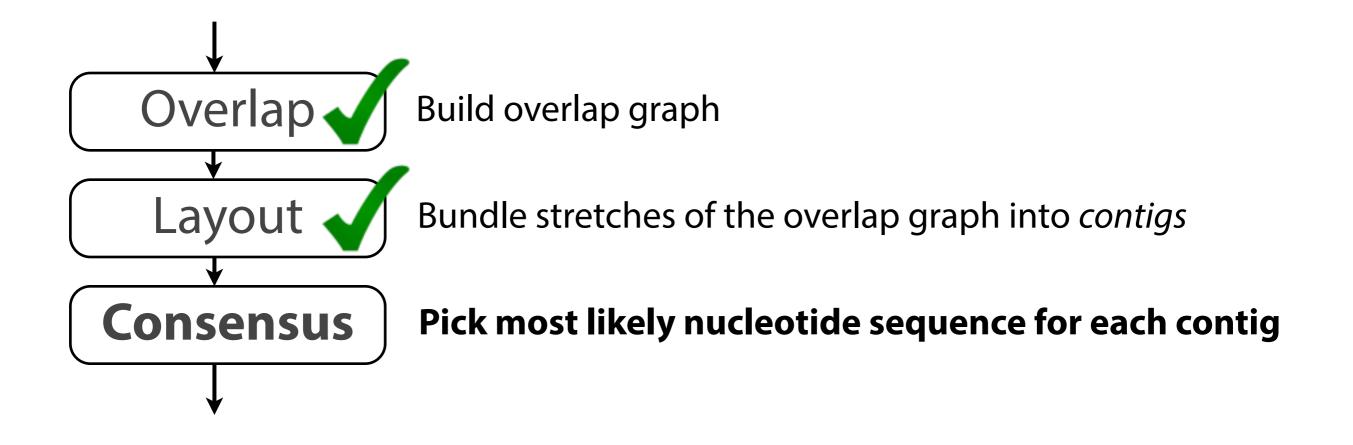


In practice, layout step also has to deal with spurious subgraphs, e.g. because of sequencing error



Mismatch could be due to sequencing error or repeat. Since the path through **b** ends abruptly we might conclude it's an error and prune **b**.

Overlap Layout Consensus



Consensus

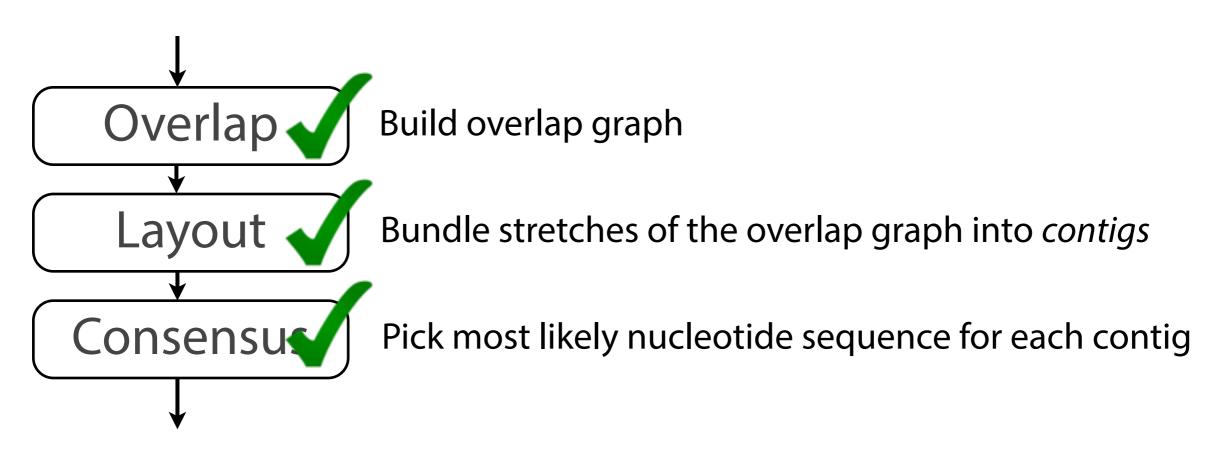


At each position, ask: what nucleotide (and/or gap) is here?

Complications: (a) sequencing error, (b) ploidy

Say the true genotype is AG, but we have a high sequencing error rate and only about 6 reads covering the position.

Overlap Layout Consensus



OLC drawbacks

Building overlap graph is slow. We saw O(N + a) and $O(N^2)$ approaches.

Overlap graph is big; one node per read, and in practice # edges grows superlinearly with # reads

2nd-generation sequencing datasets are ~ 100s of millions or billions of reads, hundreds of billions of nucleotides total

Assembly alternatives

Alternative 1: Overlap-Layout-Consensus (OLC) assembly Alternative 2: de Bruijn graph (DBG) assembly

