

## **Volume Rendering**

Johns Hopkins Department of Computer Science Course 600.456: Rendering Techniques, Professor: Jonathan Cohen



## **Volume Rendering**

Creating 2D images of volume data

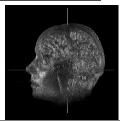
Voxels (volume elements) typically stored in regular lattice

Voxel lattice represents 3D scalar field

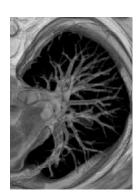


# **Examples**









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# **Types of 3D Scalar Fields**

X-ray absorbtion

Flow velocity (speed)

**Temperature** 

Solidity (CSG, etc.)



## **Generating 3D Scalar Fields**

May be measured or simulated

Measured with CT scan or MRI

CFD simulation of flow and temperature

Sampling of CSG hierarchy

Conversion from B-Rep to Solid

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## **Field Reconstruction**

**Tri-linear interpolation** 

Quadratic or cubic splines

Convolution with filter kernel

• Each voxel's contribution to a point, p, measured by value in kernel, which is centered at p

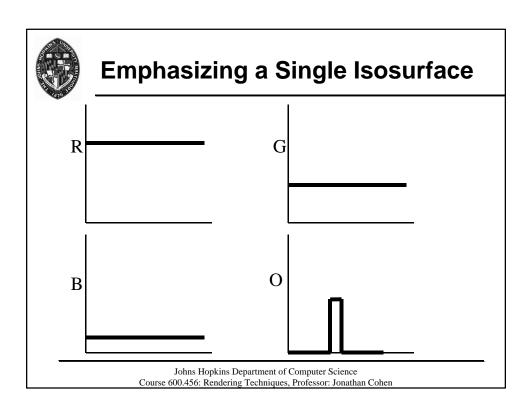


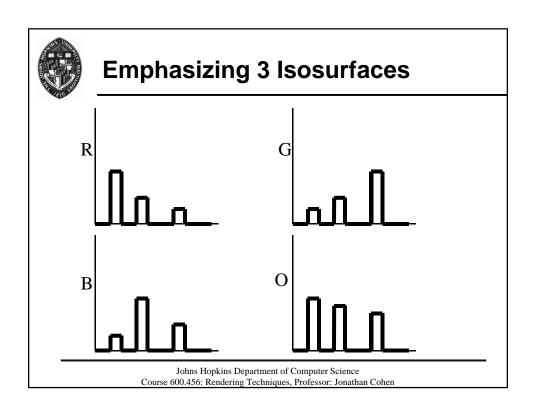
## **Mapping Values to Appearance**

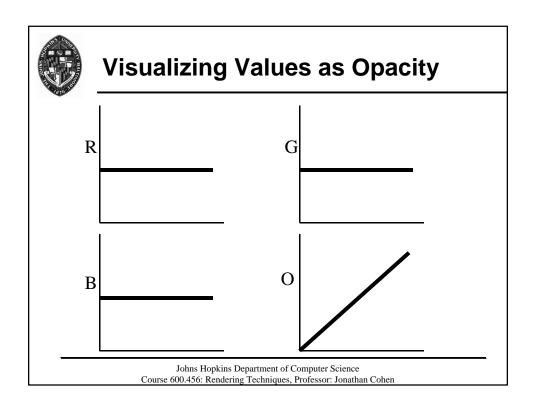
Often only a single value at each voxel

Want mapping to color and opacity

May emphasize certain value ranges or give
all ranges equal emphasis in final image









## **Methods of Rendering**

**Solid texturing** 

**Isosurface extraction** 

**Image-space accumulation (ray casting)** 

**Object-space accumulation (splatting)** 

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## **Marching Cubes Algorithm**

Performs isosurface extraction from voxel data

Creates a B-Rep, typically a set of triangles

**B-Rep** then rendering using standard rendering techniques



## Finding/Creating the Surface

Assume linear interpolation between data, stored at voxel corners

Mark corners as inside or outside surface

Find surface intersections along voxel edges

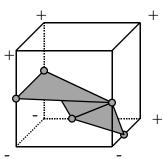
**Construct triangles connecting** 

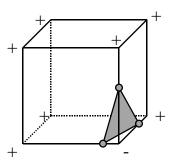
intersections

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## **Marching Cubes Illustrations**





- $2^8 = 256$  possible configurations (only 16 unique)
- Store all cases in table, including number and connectivity of triangles
- Must connect properly along voxel sides for continuity



# **Rendering Isosurfaces**

One or more isosurfaces may be rendered as totally opaque or partially transparent

Clipping planes may be used to illustrate interior surfaces

(see Figure 15 in Watt's 3D Computer Graphics)

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## **Volume Ray Casting**

Loop over pixels, generating rays

• at least one per pixel, typically

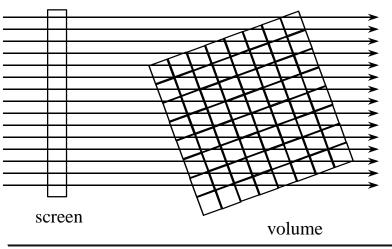
Trace each ray through the voxel grid

Accumulate color and opacity along ray

Stop when ray exits grid or reaches full opacity



## **Ray Casting Illustration**



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## **Volume Splatting**

Traverse voxels in front to back order

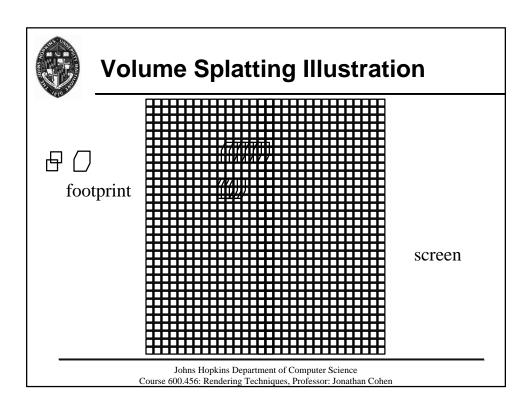
• traverse each voxel in plane, then move to next plane

For each voxel, accumulate color and opacity to each pixel it covers

• like throwing snowballs at the screen

Voxel projection covers hexagonal footprint

Smoother interpolation possible by applying kernel with fall-off away from sample point





## Ray Casting vs. Splatting

#### **Ray Casting**

- Point samples
- Random data access
- Easy for parallel or perspective projection

#### **Splatting**

- Area samples
- Ordered data access
- More difficult for perspective projection



## **Color/Opacity Accumulation**

# Assume that each voxel emits a single color and filters colors by its opacity

$$C' = C * \alpha$$

$$C'_{out} = C'_{in} + C'_{voxel} * (1-\alpha_{in})$$

$$\alpha_{out} = \alpha_{in} + \alpha_{voxel} * (1-\alpha_{in})$$

$$C_{out} = C'_{out} / \alpha_{out}$$

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## **Accumulation Example**

#### Suppose ray pases through 3 voxels (r,g,b,a):

$$V_1 = (.3, .1, .1, .2)$$

$$V_2 = (.1, .3, .1, .3)$$

$$V_3 = (.1, .3, .1, .3)$$

# $V_1 V_2 V_3$

#### Premultiply colors by opacity:

$$V_1' = (.06, .02, .02, .2)$$

$$V_2' = (.03, .09, .03, .3)$$

$$V_3' = (.03, .09, .03, .3)$$



## **Accumulation Example (cont.)**

After passing through  $V_1$ , we have

(0,0,0,0) + (.06,.02,.02,.2)\*(1-0) = (.06,.06,.02,.2)

After passing through  $V_2$ , we have

(.06,.02,.02,.2) + (.03,.09,.03,.3)\*(1-.2) =

(.084,.092,.044,.44)

After passing through  $V_3$ , we have

(.084,.092,.044,.44) + (.03,.09,.03,.3)\*(1-.44) =

(.1008, .1424, .0608, .608)

Dividing by the final alpha, we get

(.17, .23, .1, 1)

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#### **Volume Illumination**

#### Several possible models

- identify surfaces within voxels
- allow not only voxel emission, but attenuation of incoming light and surface reflection
- model as particle clouds of various densities

# Drebin et al. 98 models voxels as mixtures of materials

- all measurements continuous, not discrete
- measure surface "strength" based on differences in material densities
- measure surface normals as value gradients



# Parallel vs. Perspective Projection

#### **Parallel**

- Even sampling
- Regular access
- Simple footprints

#### **Perspective**

- Uneven sampling
- Irregular access
- Complex footprints